



Coherent THz radiation at NewSUBARU

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Introduction to NewSUBARU

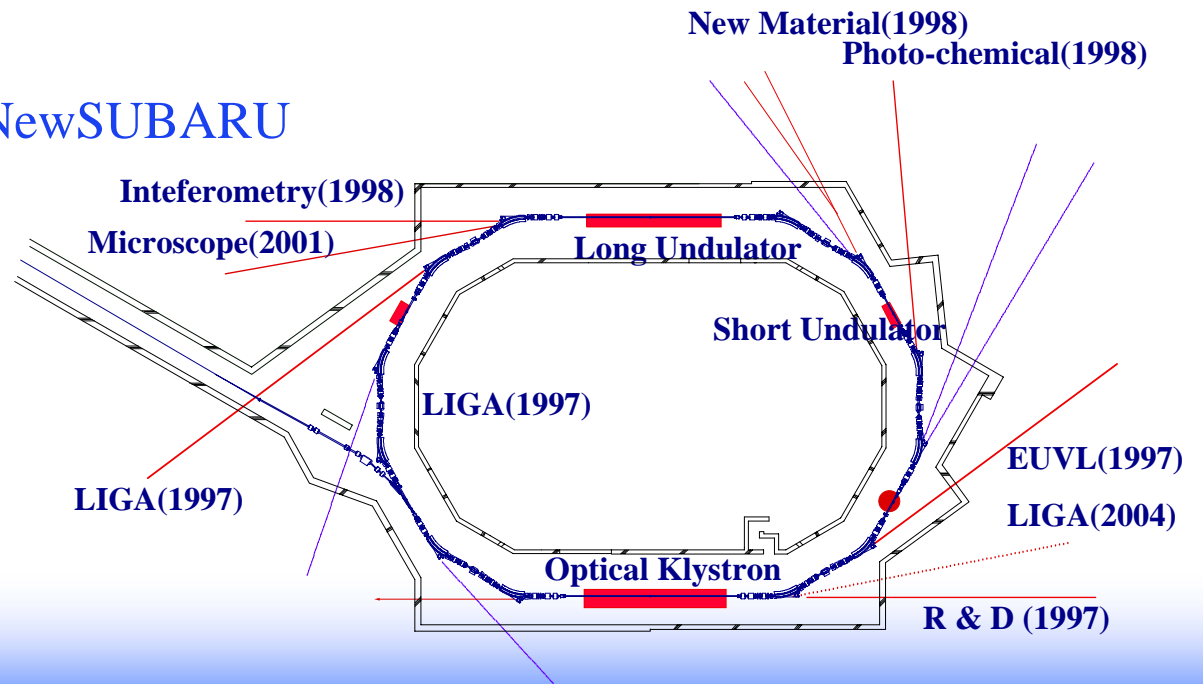
Spring-8 SR

1 GeV linac



Circumference	118.7 m
Injection Energy	1.0 GeV
Electron Energy	0.5 - 1.5 GeV
Type of Bending cell	DBA with Inv.B
RF Frequency	499.956 MHz
Natural Emittance	38 nm (1GeV)
Natural Energy Spread	0.047% (1GeV)

NewSUBARU





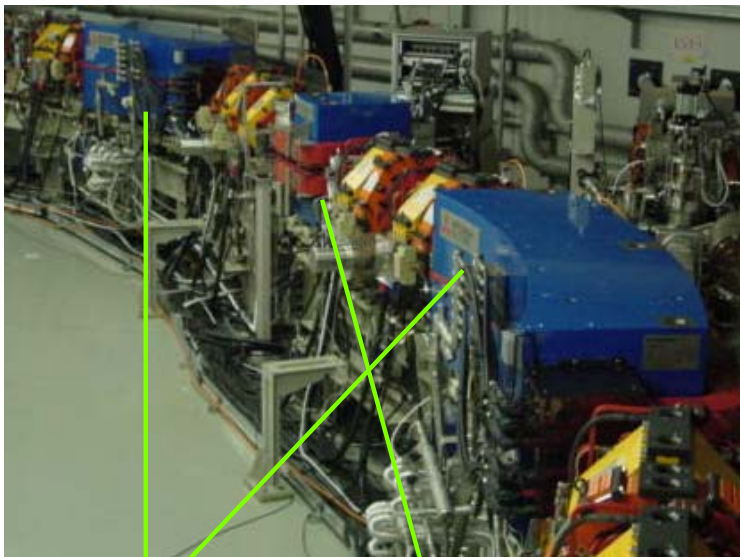
Special design: Invert Bend

Momentum compaction factor

$$\Delta L/L_0 \equiv \alpha_1 \delta + \alpha_2 \delta^2 + \alpha_3 \delta^3 + \dots$$

$$\delta \equiv (E - E_0)/E_0$$

$$34^\circ - 8^\circ + 34^\circ = 60^\circ$$



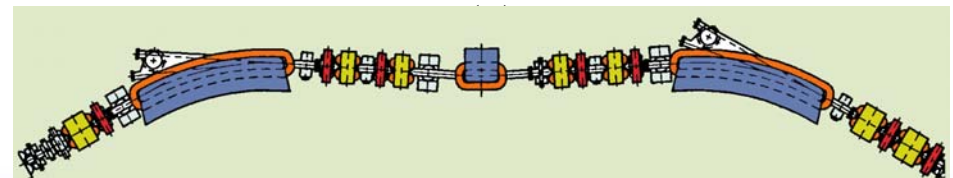
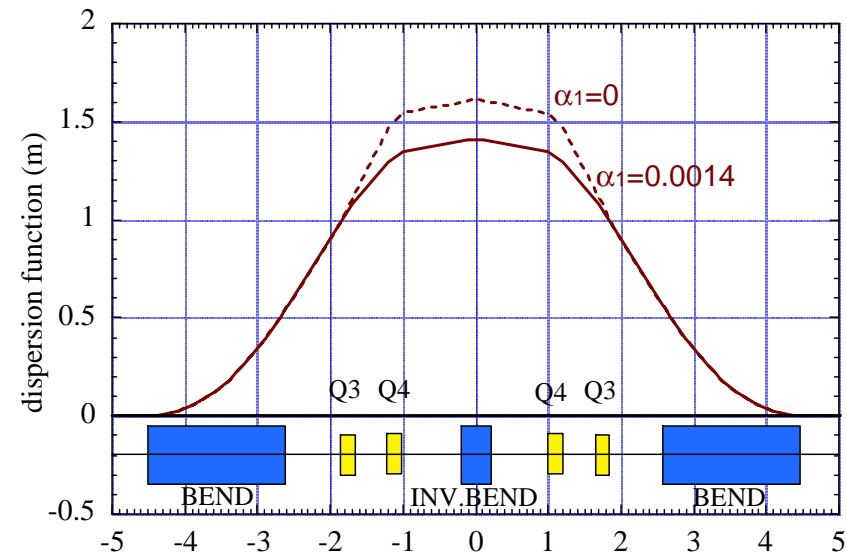
Normal Bend

Invert Bend

Change η in the invert bends

--> change α_1

keeping achromatic condition





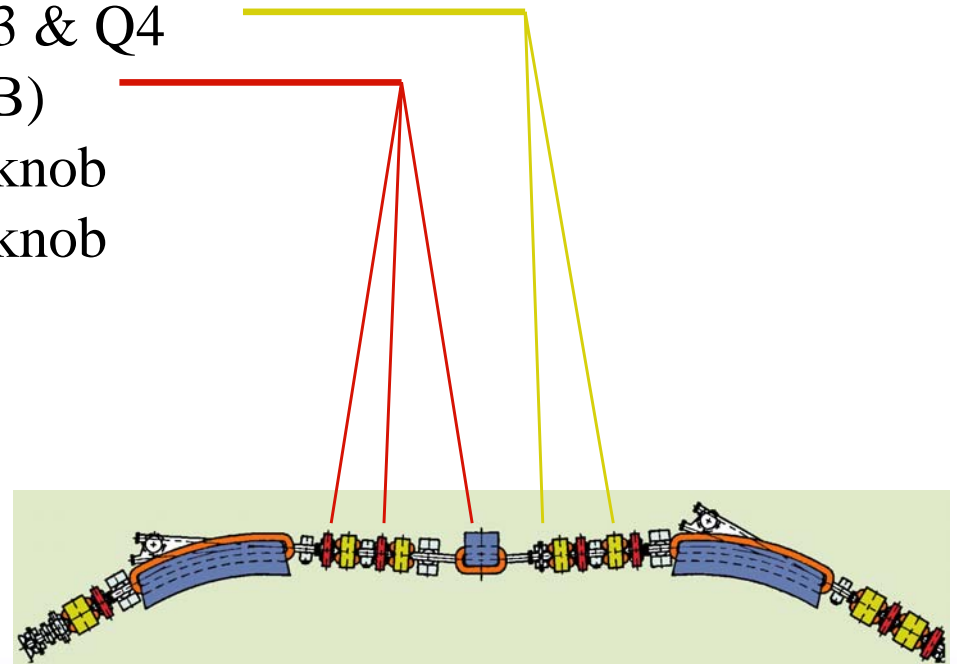
Control of momentum compaction factor

Momentum compaction factor

$$\Delta L/L_0 \equiv \alpha_1 \delta + \alpha_2 \delta^2 + \alpha_3 \delta^3 + \dots$$

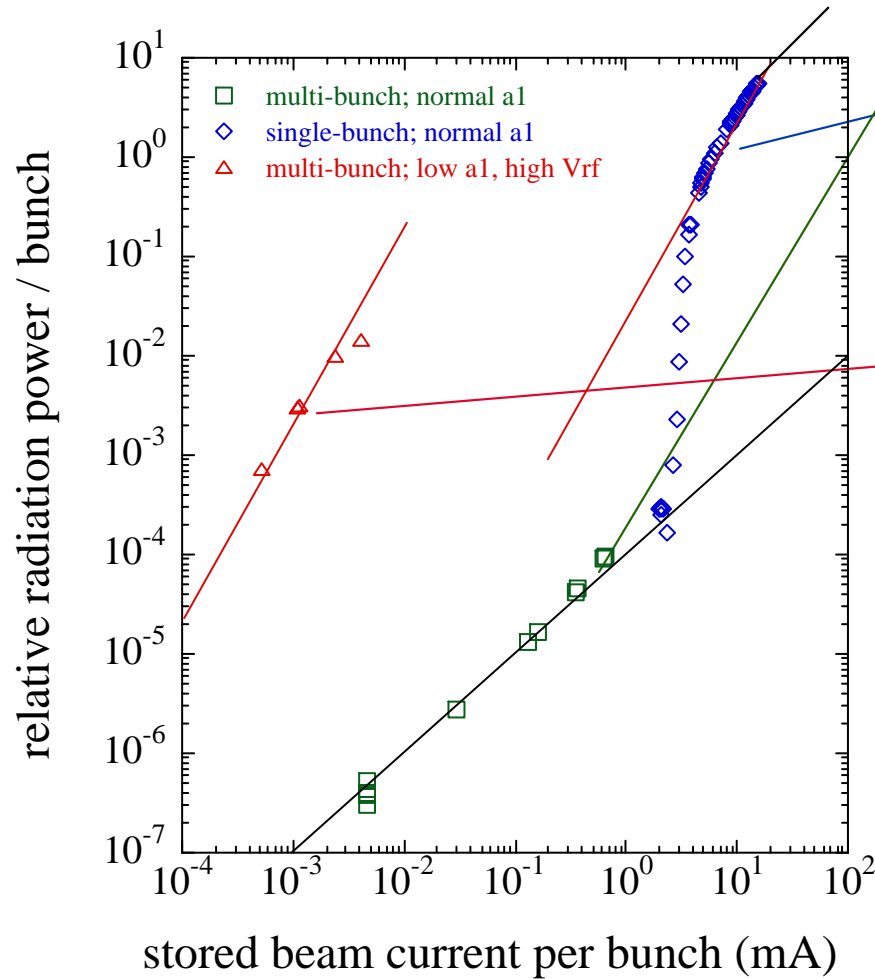
$$\delta \equiv (E - E_0)/E_0$$

$\alpha_1 = 1.3 \times 10^{-3} \rightarrow \approx 0$	Q3 & Q4
$\alpha_2 = 0$	SF, SD, (SB)
$\alpha_3 \approx 0.5$	no control knob
$\alpha_4 \approx -20$	no control knob





Types of CSR



Normal radiation

CSR burst

normal α_1 , high peak current
--> WIRMS2007

Steady state CSR

small α_1 (quasi-isochronous ring)
Beam physics ---> Instability threshold
Acc. technology ---> stability problem

Linac Pulse CSR --> morning session

No laser induced CSR

NewSUBARU has bunch shortening limit
What limit the bunch shortening?



Bunch shortening at NewSUBARU

Deviation from the scaling law

$$\sigma_T \propto \sqrt{\alpha_1} \text{ is valid for } \alpha_1 > 2 \times 10^{-5}$$

$$\sigma_{T-MIN} \approx 1.4 \text{ps at } \alpha_1 \approx 1 \times 10^{-5}$$

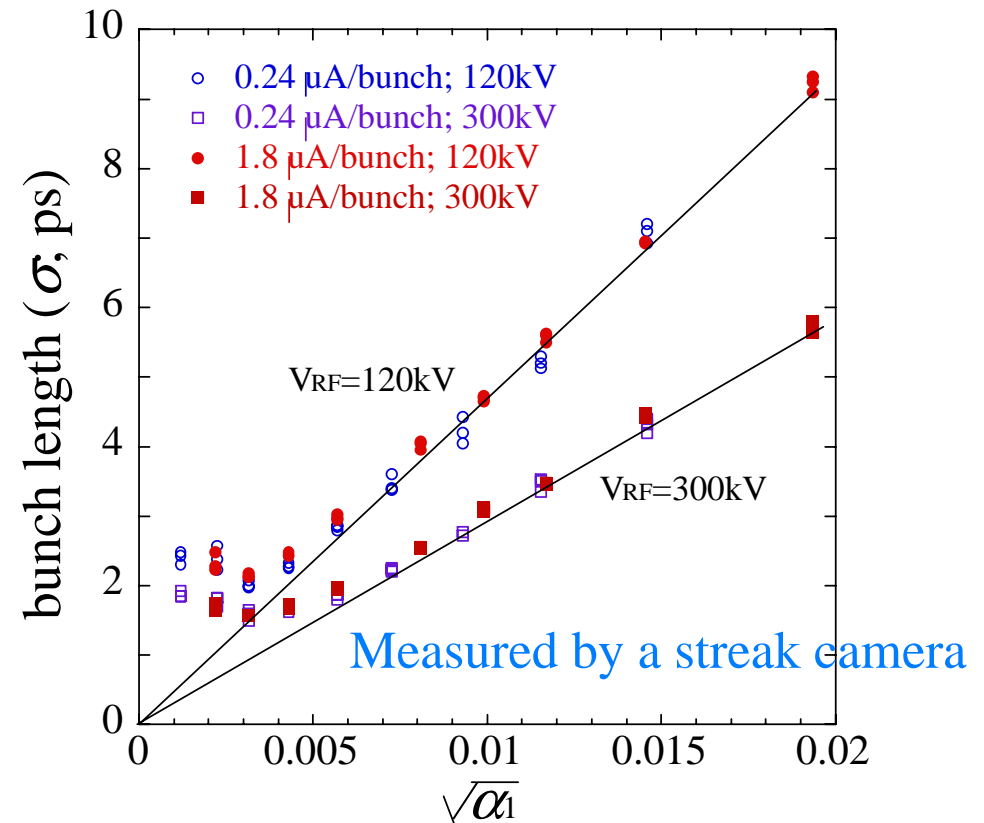
Instability ? No

no I_B dependence at $I_B < 2 \mu\text{A}$

Problem of monitor ? No

α_1 does not reduce σ_T

V_{RF} does reduce σ_T



BESSY & ANKA do not have that problem!



Comparison of NewSUBARU with BESSY

	BESSY II	NewSUBARU
Natural Energy Spread	0.08%	0.047%
Natural Emittance (nm rad)	30π	30π
α_1	-1.4×10^{-6}	5×10^{-6}
α_3	-0.01	0.5
Damping time	8ms	12ms
Lattice	non-achromatic DB	DBA+IB



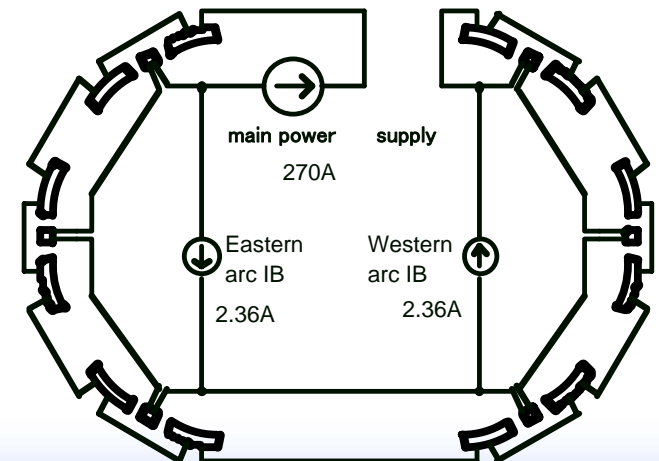
Ripple & stability of magnets

Magnet	Power supply		Effect	
	resolution	ripple	resolution	ripple
B		< 1E-6		$\Delta E/E = 1E-6$
Inv Bend		< 1E-5		$\Delta B/B = 1E-6 *$
Q4	1.5E-5 (16bit)	< 2E-6	$\Delta\alpha_1 = 4E-6*$	$\Delta\alpha_1 = 6E-7$
Sext-F	2.4E-4 (12bit)	< 2E-5	$\Delta\alpha_2 = 2.6E-3 *$	$\Delta\alpha_2 = 2E-4$
RF with FB		< 0.02 deg		$\Delta\tau = 0.1$ ps

* Imbalance between B and IB

* $\alpha_1 = 4 \times 10^{-6} \rightarrow \sigma_T = 0.6$ ps ($E_0 = 1$ GeV, $V_{RF} = 300$ keV)

* stability condition; $\alpha_1 + 2\alpha_2\delta + 3\alpha_3\delta^2 > 0$
 $\rightarrow \alpha_1 > 4.5 \times 10^{-6}$





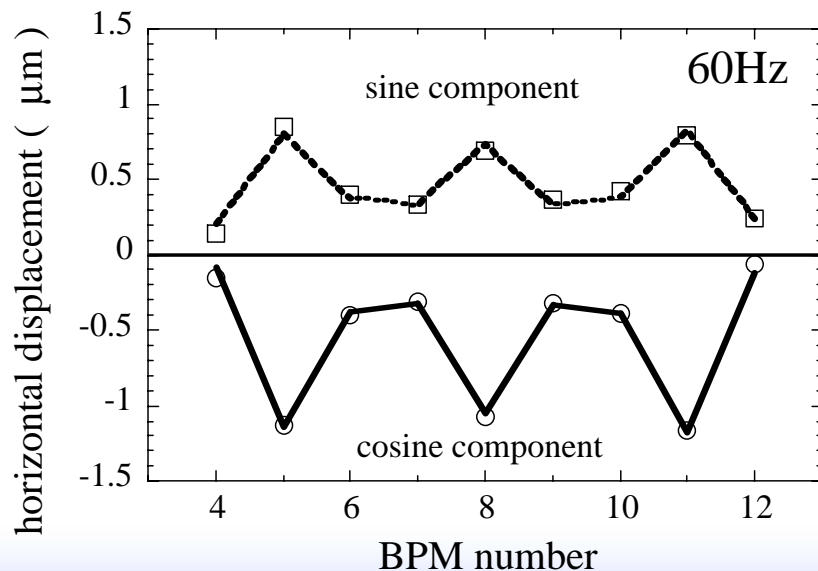
Effect of IB field ripple -- path-length ripple

Dipole field error produces longitudinal oscillation

$$\text{Deflection } \theta_s \quad \Delta x \quad \Delta x(s) = \frac{\sqrt{\beta_s \beta(s)}}{2 \sin \pi \nu} \theta_s \cos[|\psi(s) - \psi_s| - \pi \nu]$$

$$\Delta L \quad \Delta L_0 = \int_0^{L_0} \frac{x(s)}{\rho(s)} ds = \eta_s \theta_s \quad \rightarrow \Delta E \quad \frac{\Delta E}{E} = -\frac{\eta_s}{\alpha L_0} \theta_s$$

Evidence of path-length ripple (at normal operation)



COD drift with harmonic freq.
(60Hz, 120Hz, 180Hz,)

$$x(s) = \left\{ \frac{\sqrt{\beta_s \beta(s)}}{2 \sin \pi \nu} \cos[|\psi(s) - \psi_s| - \pi \nu] - \frac{\eta_s \eta(s)}{\alpha L_0} \right\} \theta_s$$

agreed with expected COD

for IB ripple ; $\Delta B/B < 4 \times 10^{-7}$



Pathlength ripple & RF ripple

Forced Oscillation

$$\frac{d\tau}{dt} = -\alpha_1 \varepsilon + \Delta_C e^{j\omega t}$$

pathlength ripple

$$\frac{d\varepsilon}{dt} = \frac{\omega_s^2}{\alpha_1} (\tau + \Delta_P e^{j\omega t}) - 2\alpha_E \varepsilon$$

RF ripple

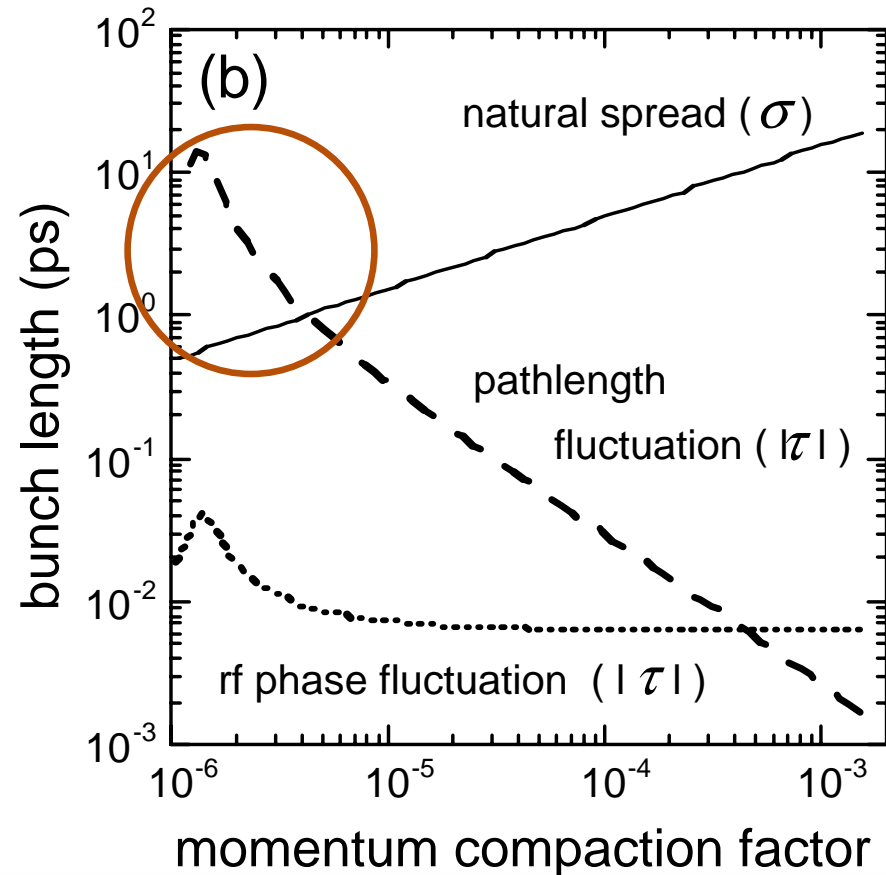
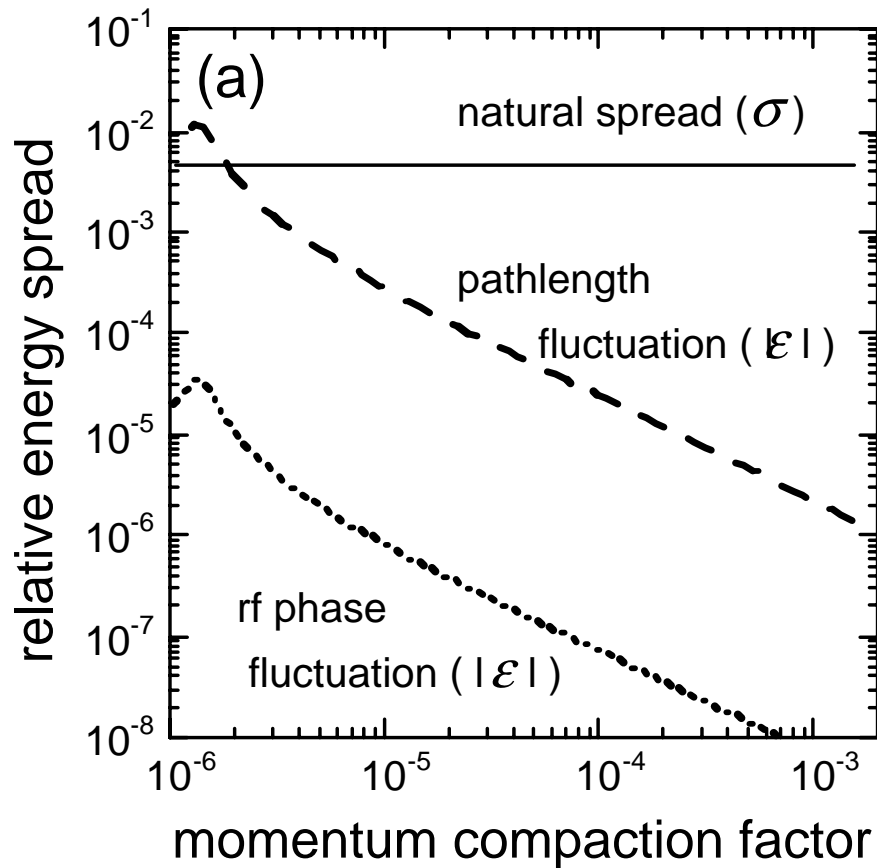
$$\tau = \frac{(2\alpha_E + j\omega)\Delta_C - \omega_s^2 \Delta_P}{\omega_s^2 - \omega^2 + 2j\omega\alpha_E} e^{j\omega t}$$

$$\varepsilon = \left(\frac{\omega_s^2}{\alpha_1}\right) \frac{\Delta_C + j\omega\Delta_P}{\omega_s^2 - \omega^2 + 2j\omega\alpha_E} e^{j\omega t}$$



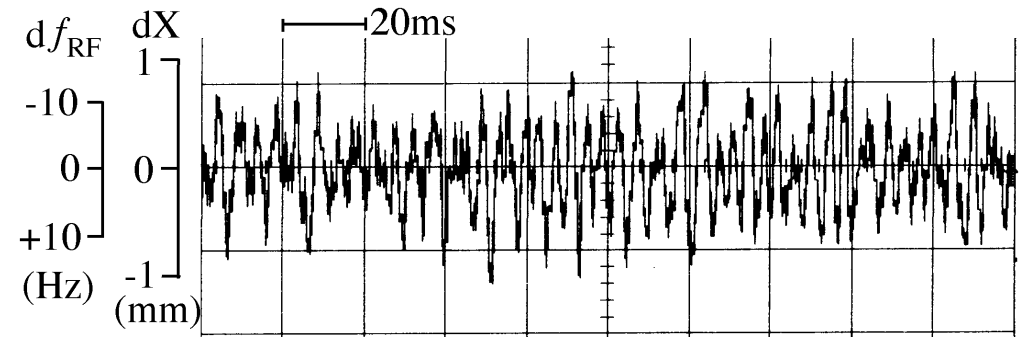
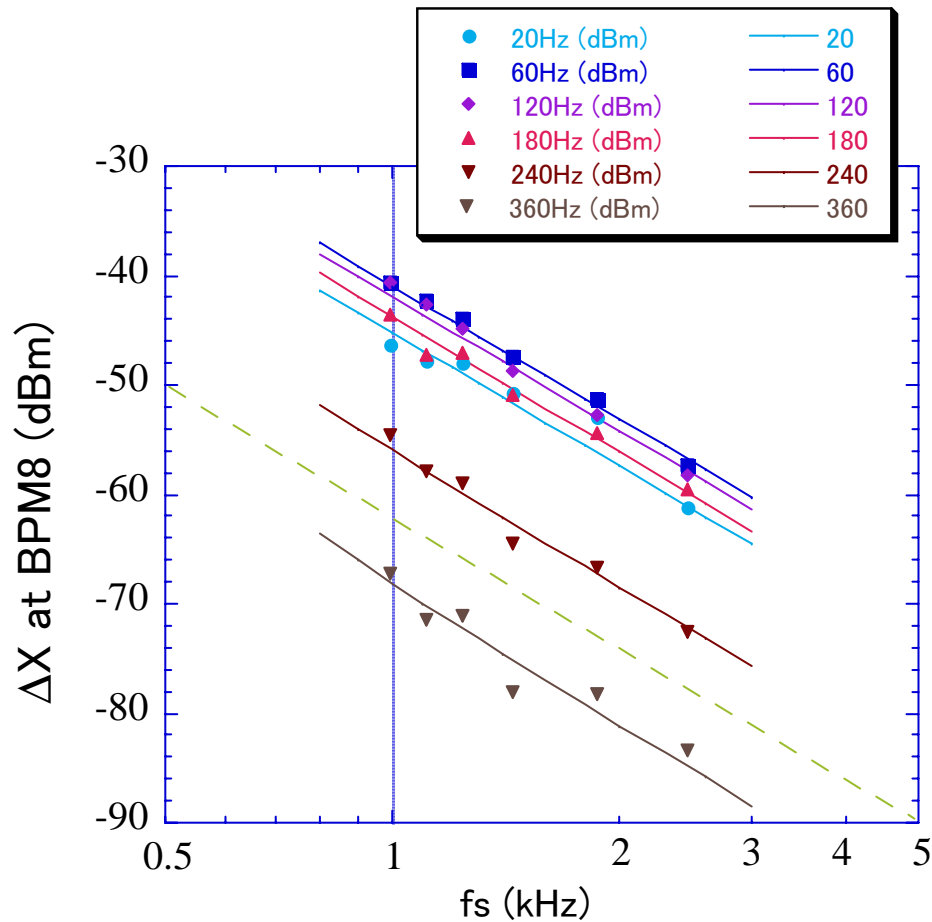
Pathlength ripple & RF ripple

(180 Hz)





Measured energy fluctuation (1)



The oscillation is harmful

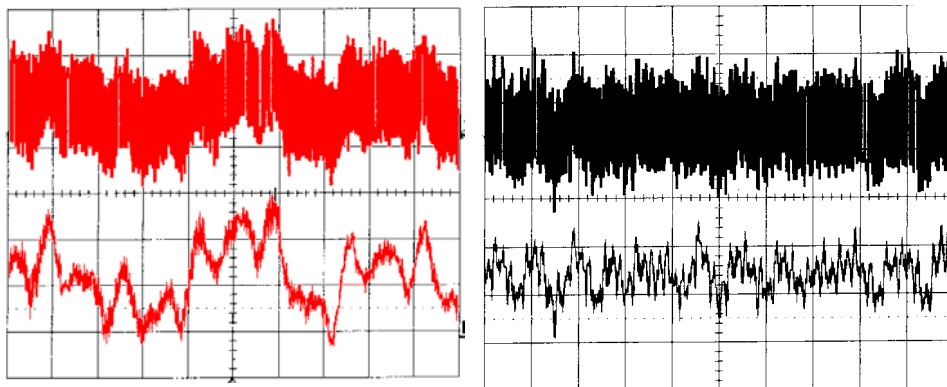
**BESSY & ANKA have
no Invert Bend !**



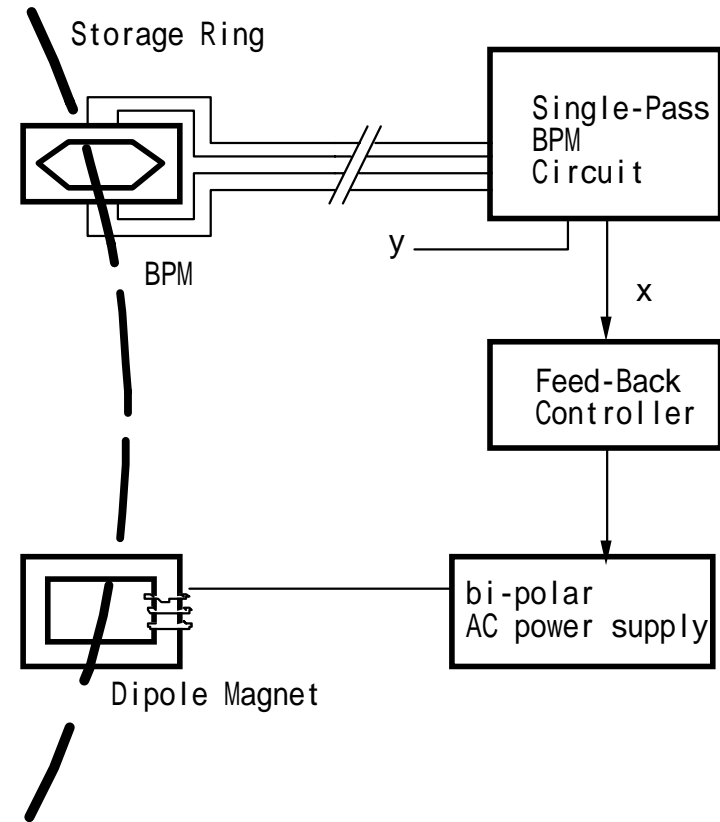
Feed-back control

Energy feed-back

Feed-back OFF ON



(below; with LPF; x2)

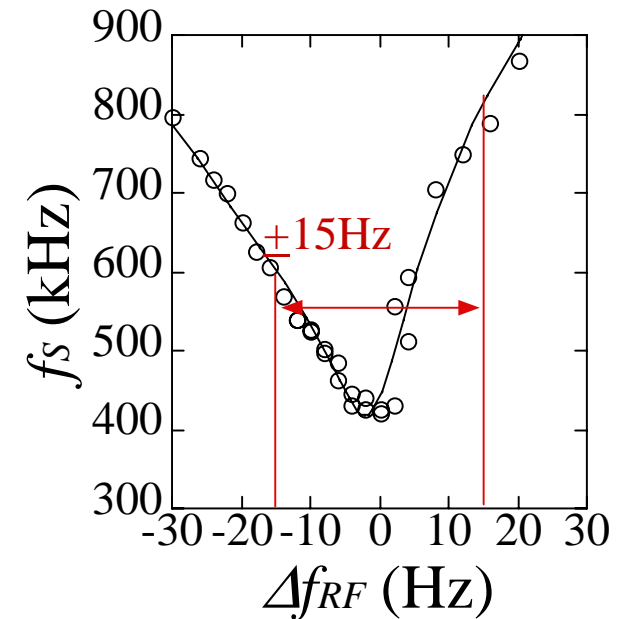
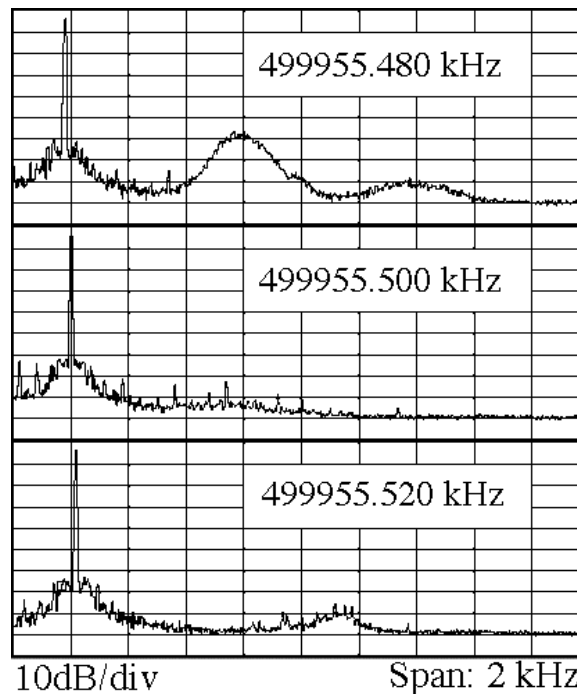
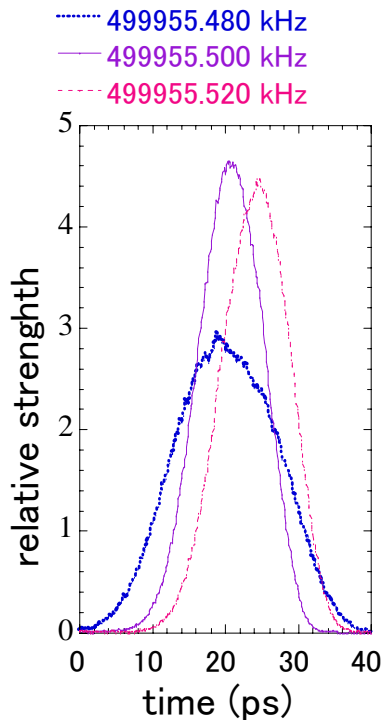


FB works at normal α_1
but not at small α_1 because of non-linearity?



Non-symmetry for $+\Delta E$ and $-\Delta E$

The bunch length was not always shortest at where the f_s was the smallest. It strongly depended on δ (or Δf_{RF}) at small α_1 ($\alpha_1 = 1 \times 10^{-5}$).



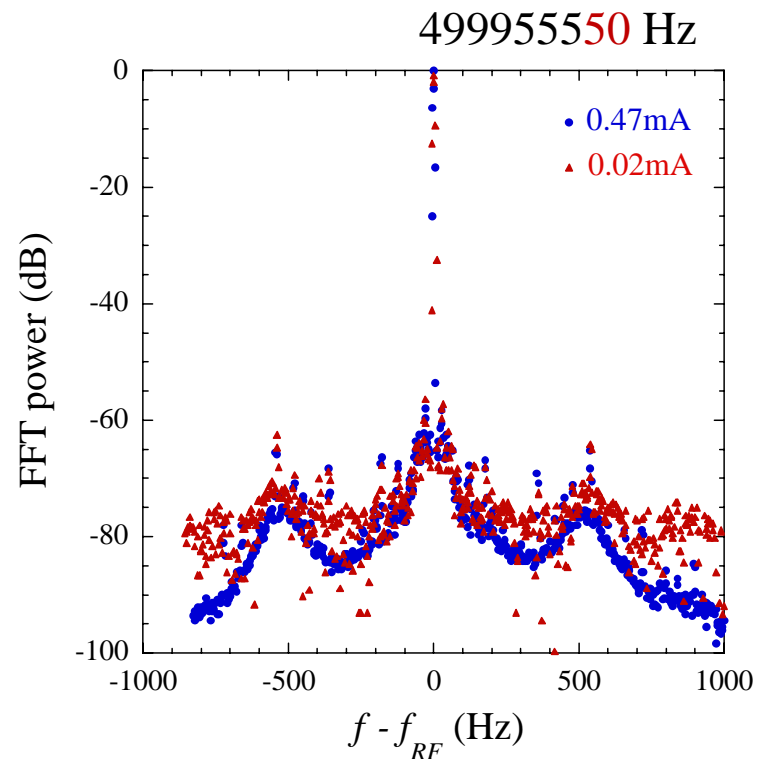
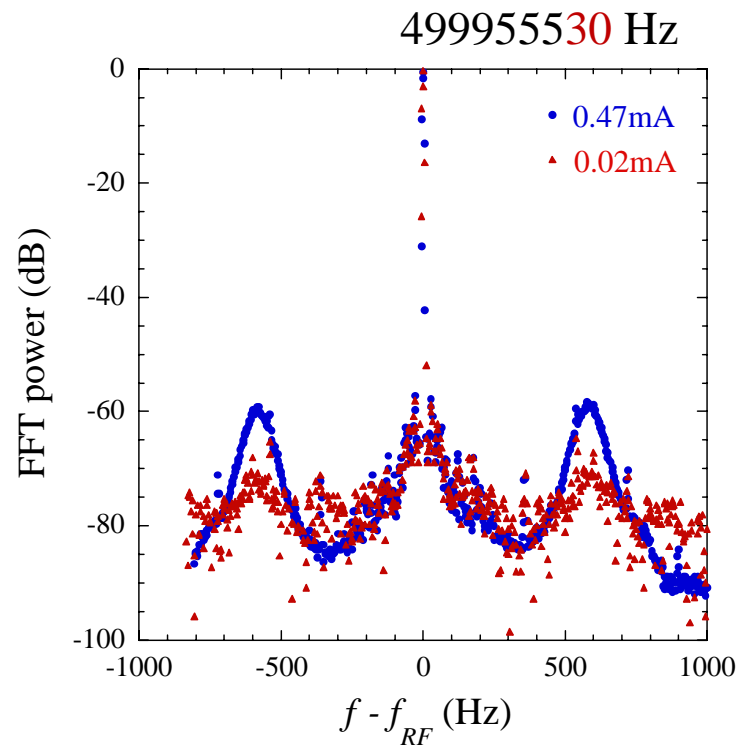
bunch shape. FFT spectrum of the beam signal

Synchrotron Oscillation is enhanced at $\delta > 0$



Non-symmetry for $+\Delta E$ and $-\Delta E$

Non-symmetry has stored current dependence



Current dependence of fs side-band. f_{RF} peak is normalized to 0dB. White noise is subtracted from the data at 0.02mA



Conclusion

- Some problems in QI operation are enhanced at NewSUBARU probably because of the Invert Bend.
- Ring stability is a main technical point of QI operation
- Higher order α would be the other problem
- Still there is a phenomenon not understood.